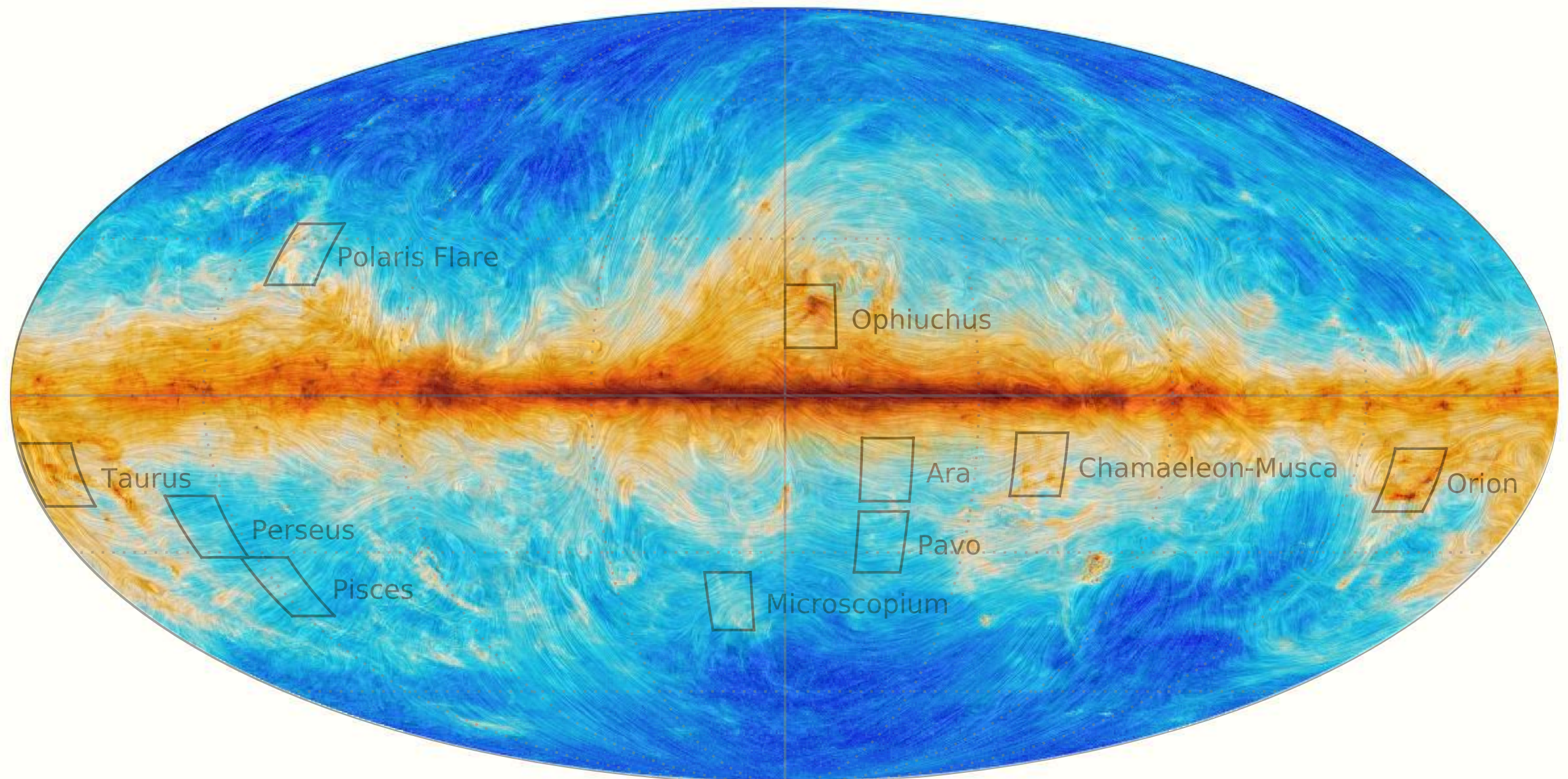


Polarized thermal dust emission as seen by Planck : A comparison with MHD simulations and lessons from a toy model

Planck Collaboration, F. Levrier, J. Neveu

LERMA, Observatoire de Paris, PSL, CNRS, UPMC, ENS Paris

*Planck intermediate results. XX.
A&A, 576, 105, 2015*



Copyright ESA and the Planck Collaboration

Focus Meeting 5 « The Legacy of Planck », IAU General Assembly, Honolulu, HI, 12.08.2015



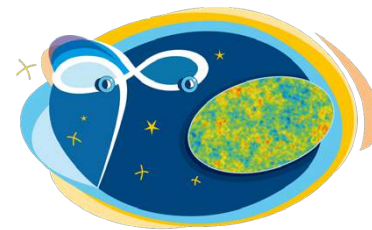
planck



DTU Space
National Space Institute



Science & Technology
Facilities Council



HFI PLANCK
a look back to the birth of Universe



National Research Council of Italy



Deutsches Zentrum
für Luft- und Raumfahrt e.V.



UK SPACE
AGENCY



MAX-PLANCK-GESELLSCHAFT



Observer & comprendre



Les deux infinis



Imperial College
London



UNIVERSITÀ DEGLI STUDI
DI MILANO



MilliLab



Osservatorio
Astronomico
di Padova



Science & Technology Facilities Council
Rutherford Appleton Laboratory



US
University of Sussex



UNIVERSITY OF HELSINKI



UNIVERSITÉ
DE GENÈVE



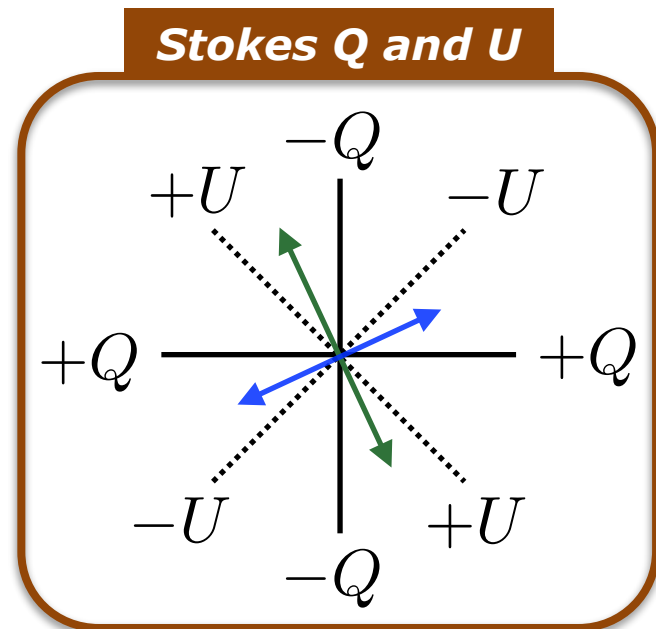
UNIVERSITY OF
TORONTO



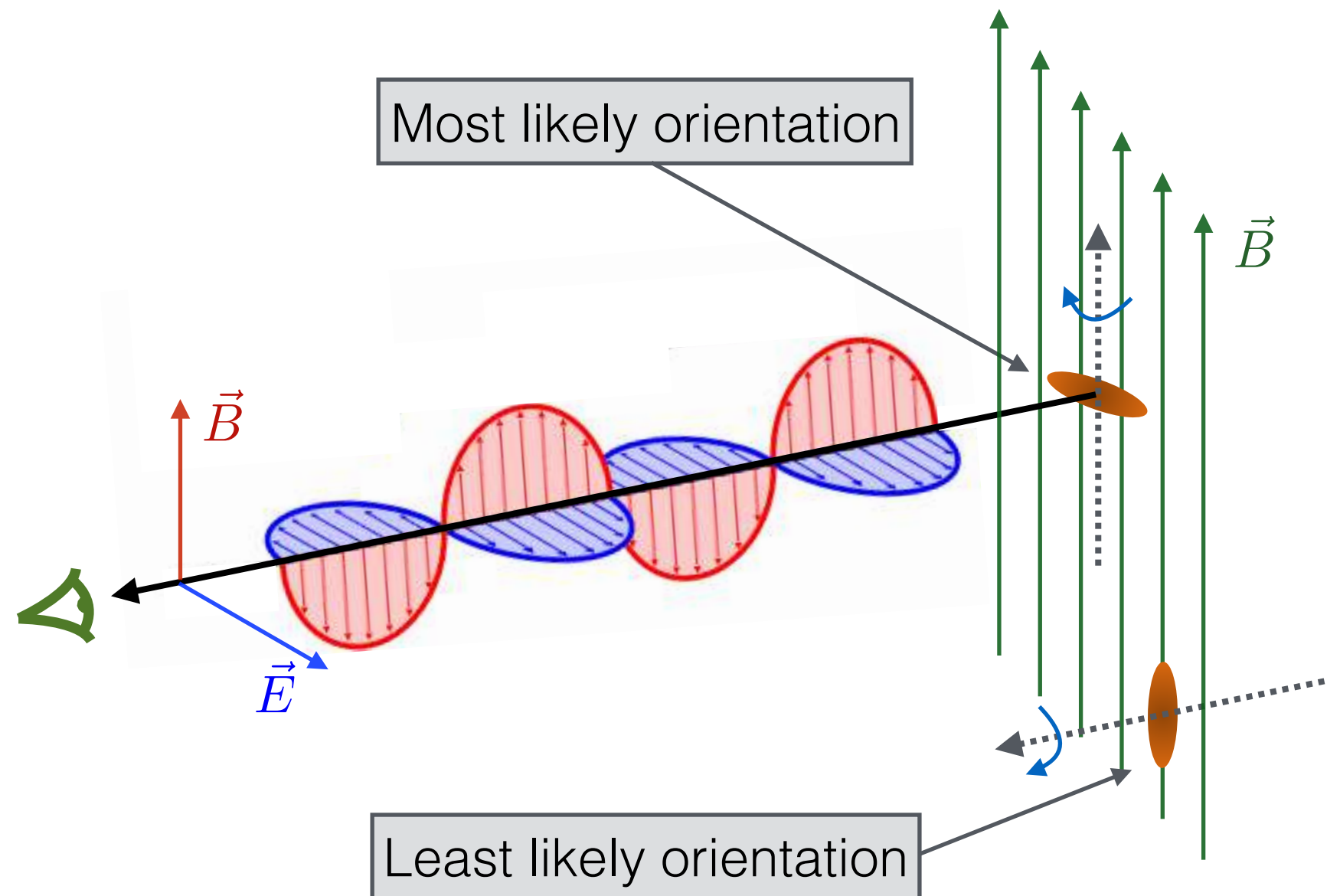
UNIVERSITÉ DE
PARIS-SUD XI



Polarized thermal dust emission essentials



Polarization orientation
Magnetic field orientation

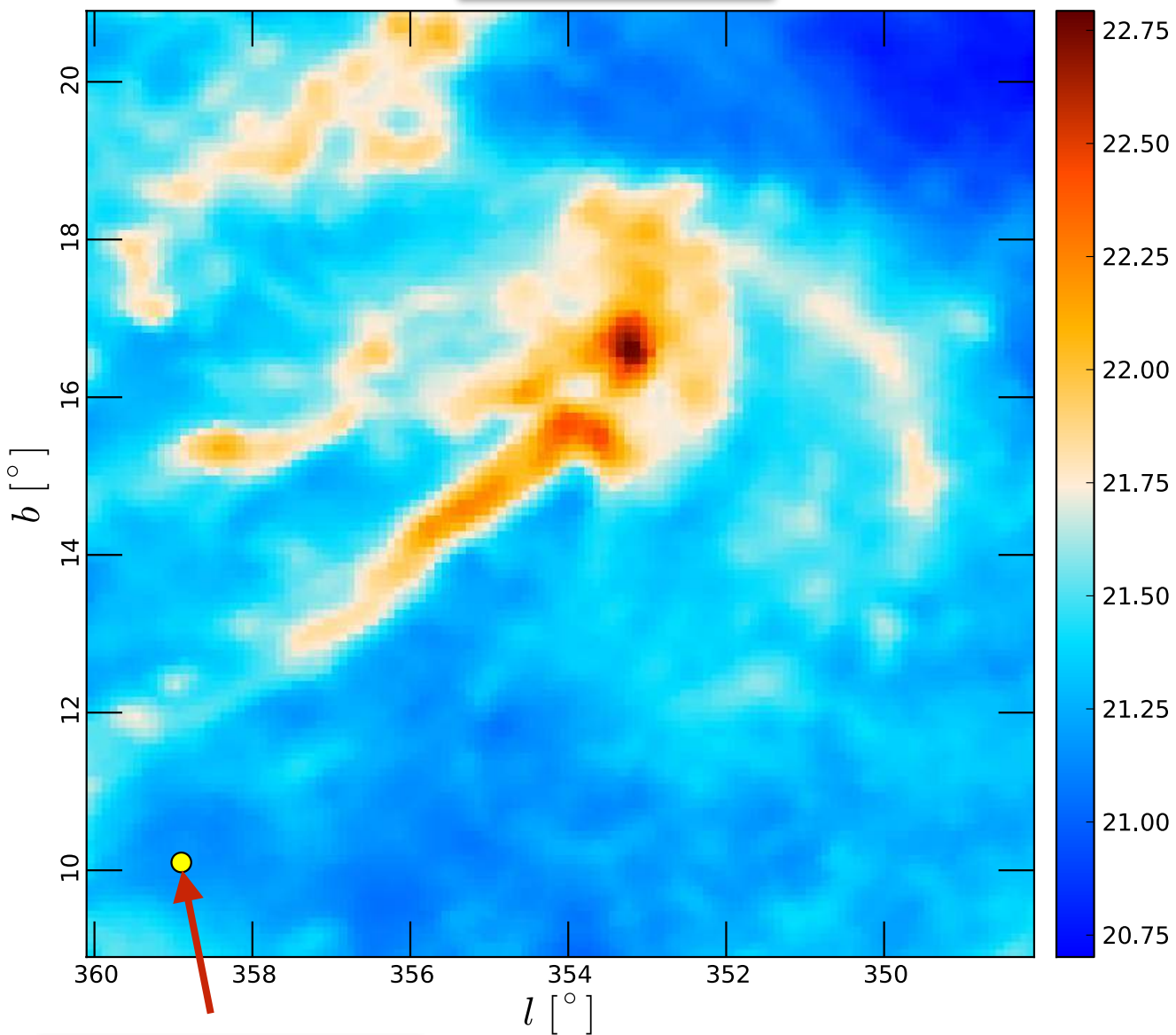


- Grains are aspherical, charged, rotating, and aligned preferentially perpendicularly to the local magnetic field
- Cross sections are proportional to the size, so grains emit more radiation parallel to their long axes
- Polarized thermal emission arises, with an orientation perpendicular to the local magnetic field

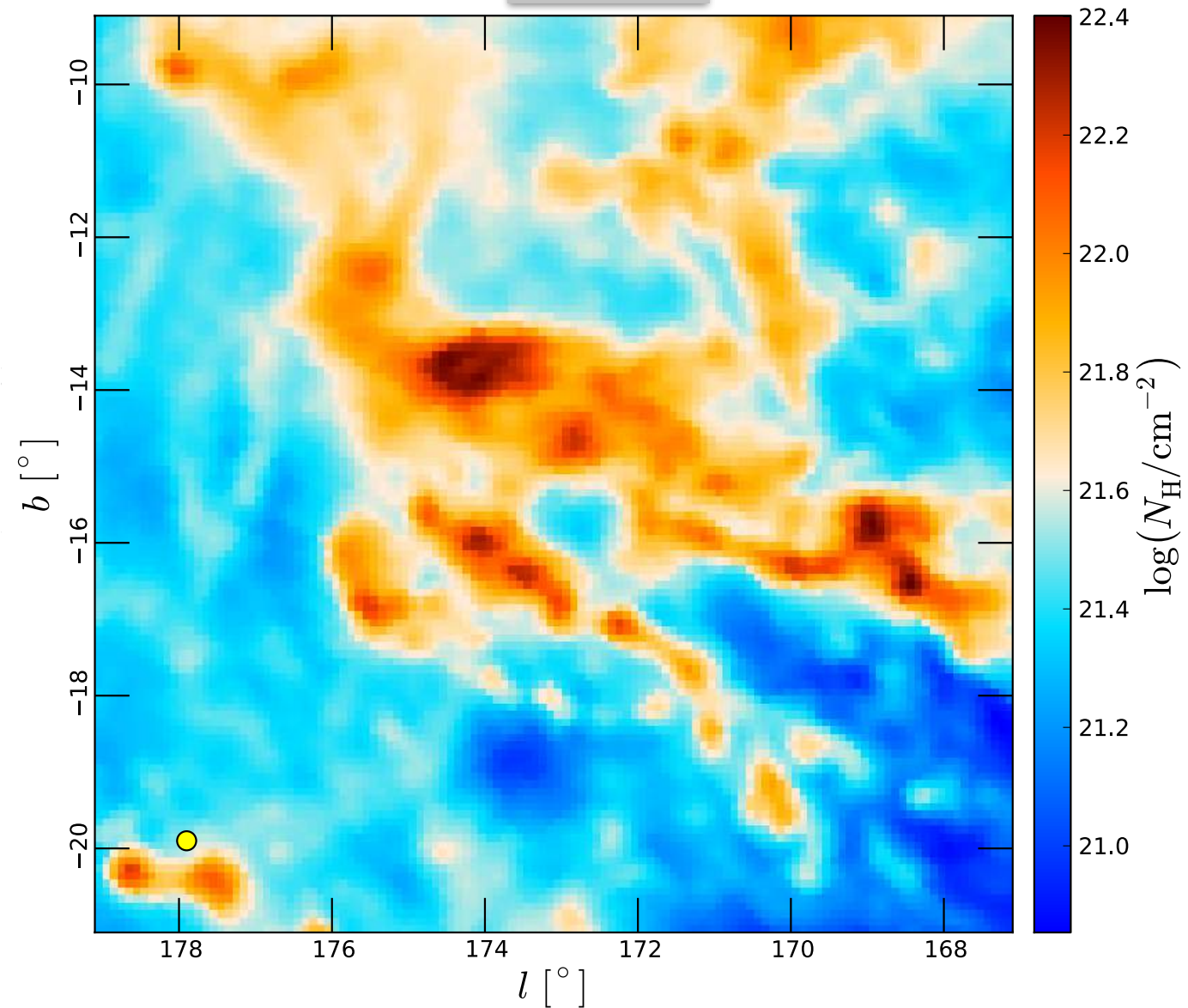
See talk by J.-P. Bernard, this session

Planck maps of nearby molecular clouds

Ophiuchus

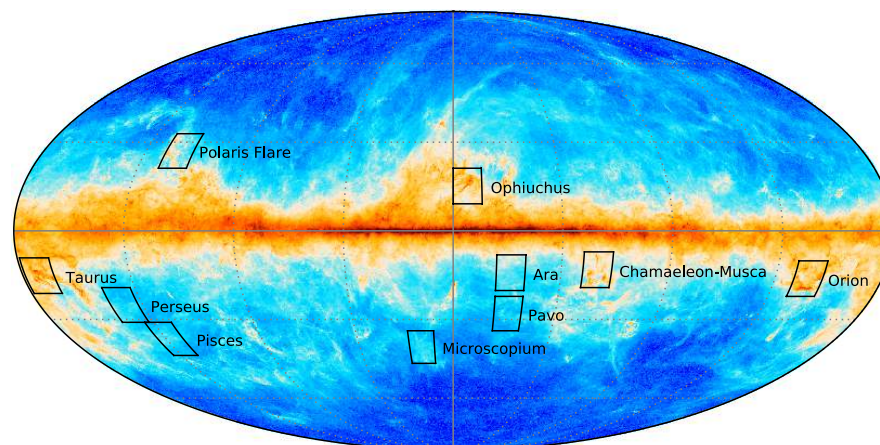


Taurus



15' resolution

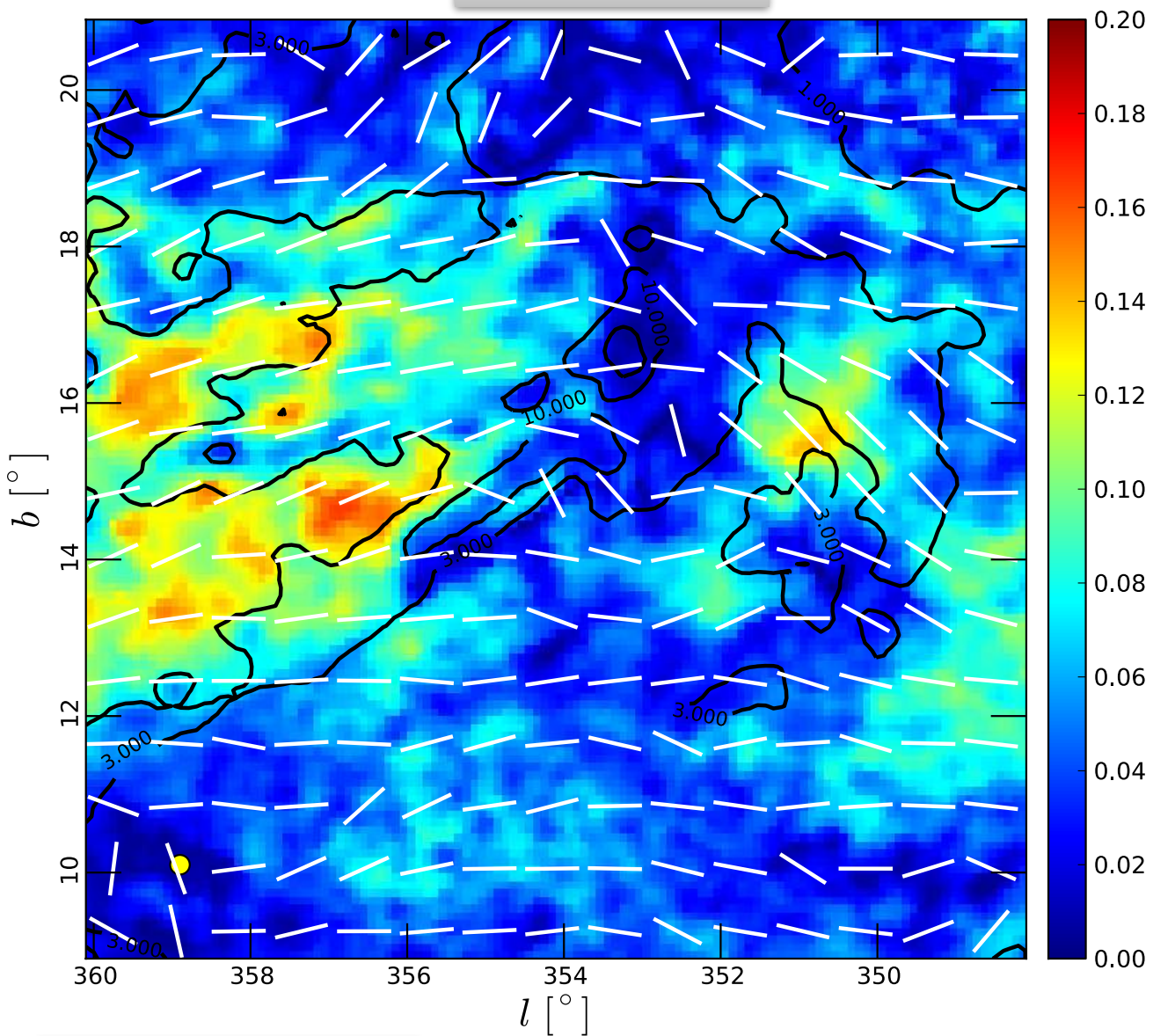
Total gas column density



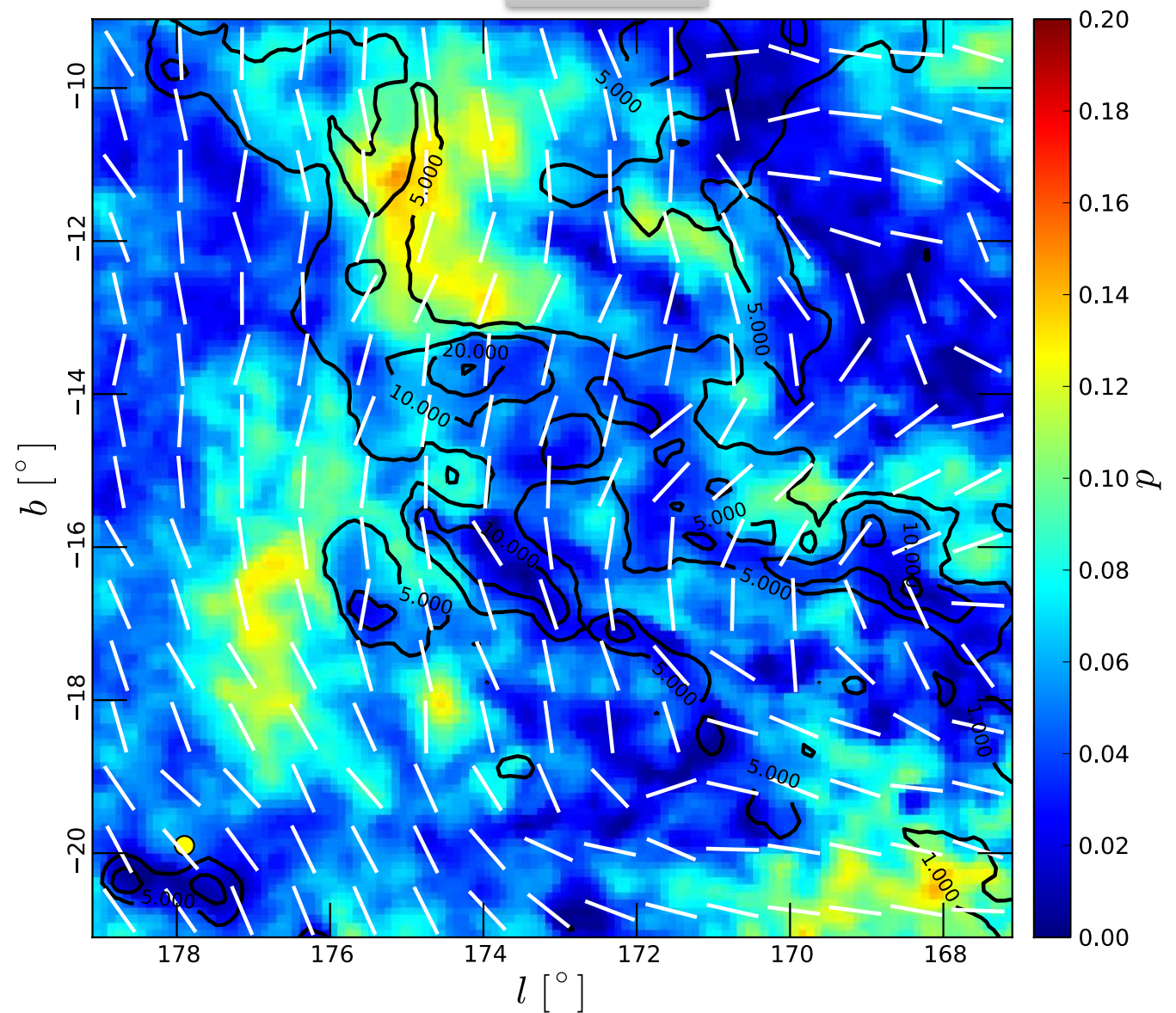
**Planck 2013 results. XI.
A&A, 571, 11, 2014**

Planck maps of nearby molecular clouds

Ophiuchus



Taurus



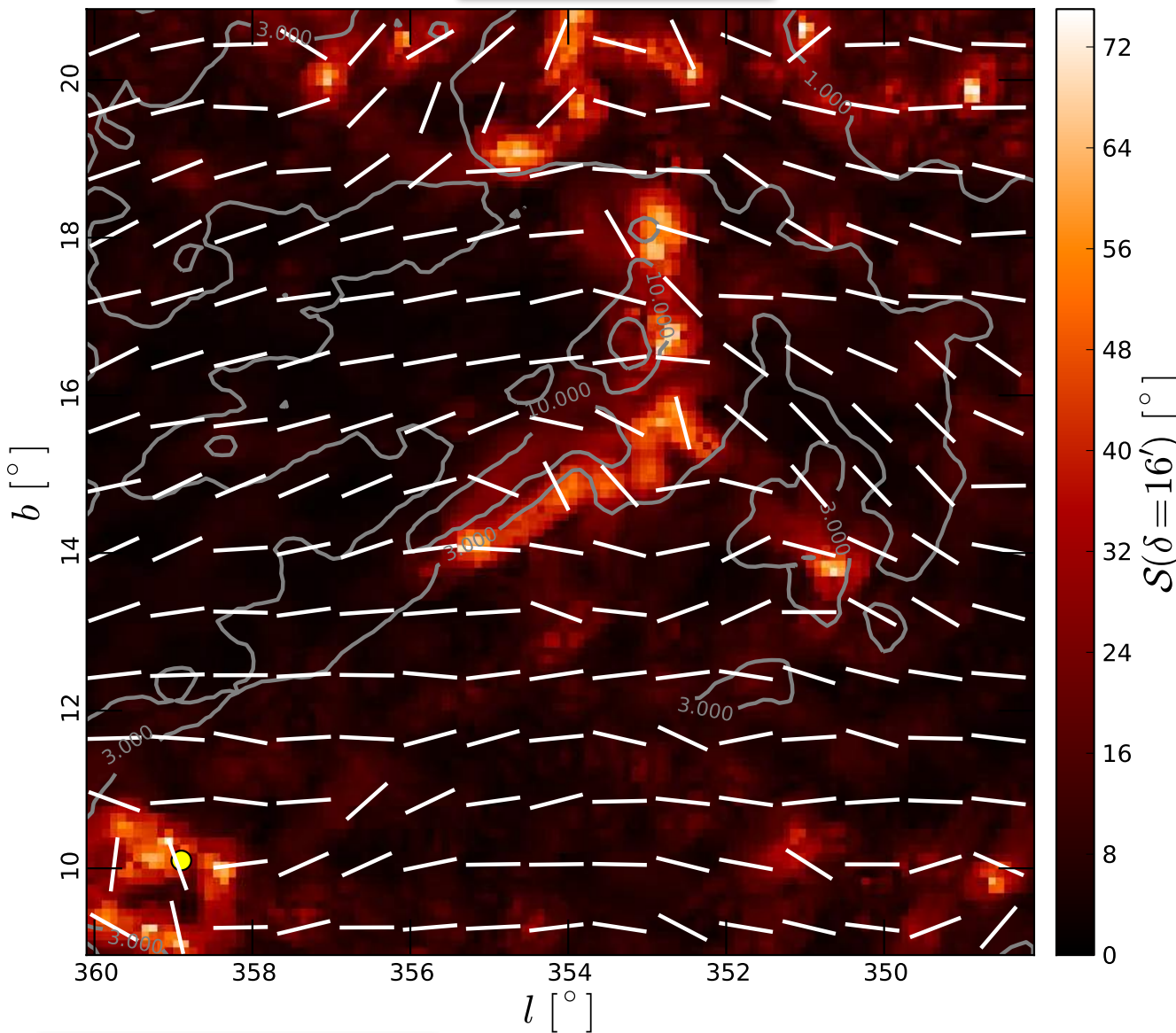
15' resolution

Polarization fraction

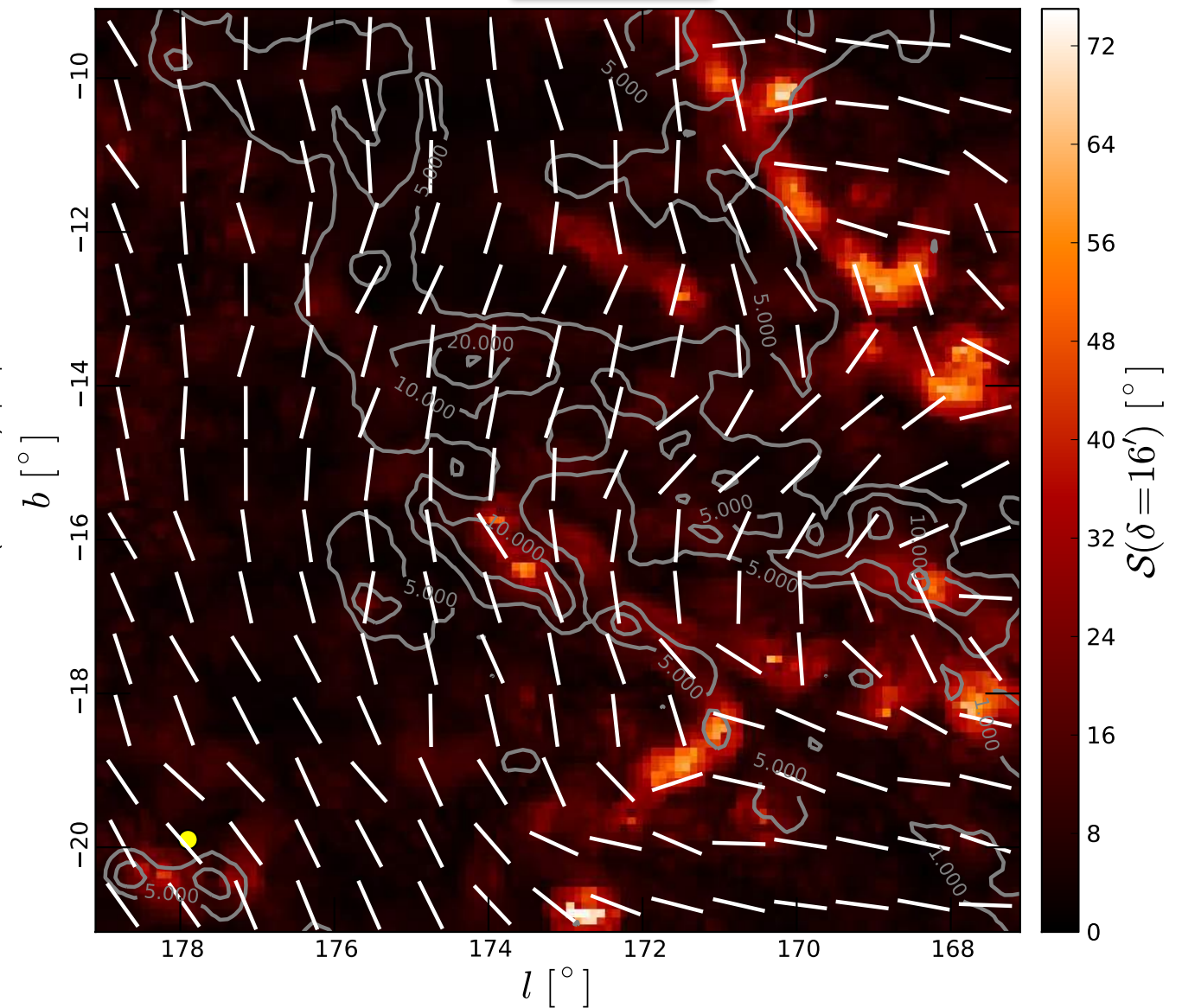
$$p = \frac{\sqrt{Q^2 + U^2}}{I}$$

Planck maps of nearby molecular clouds

Ophiuchus



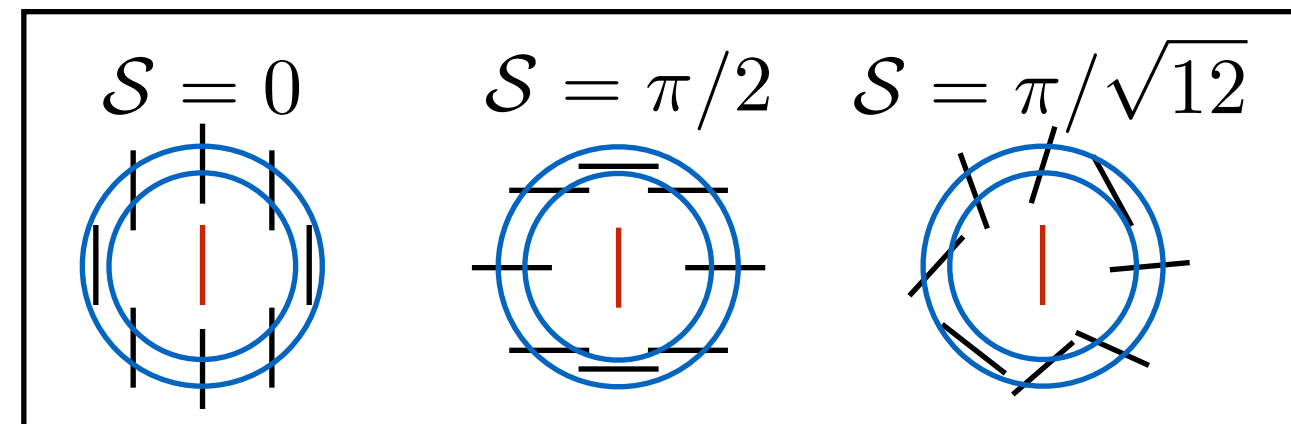
Taurus



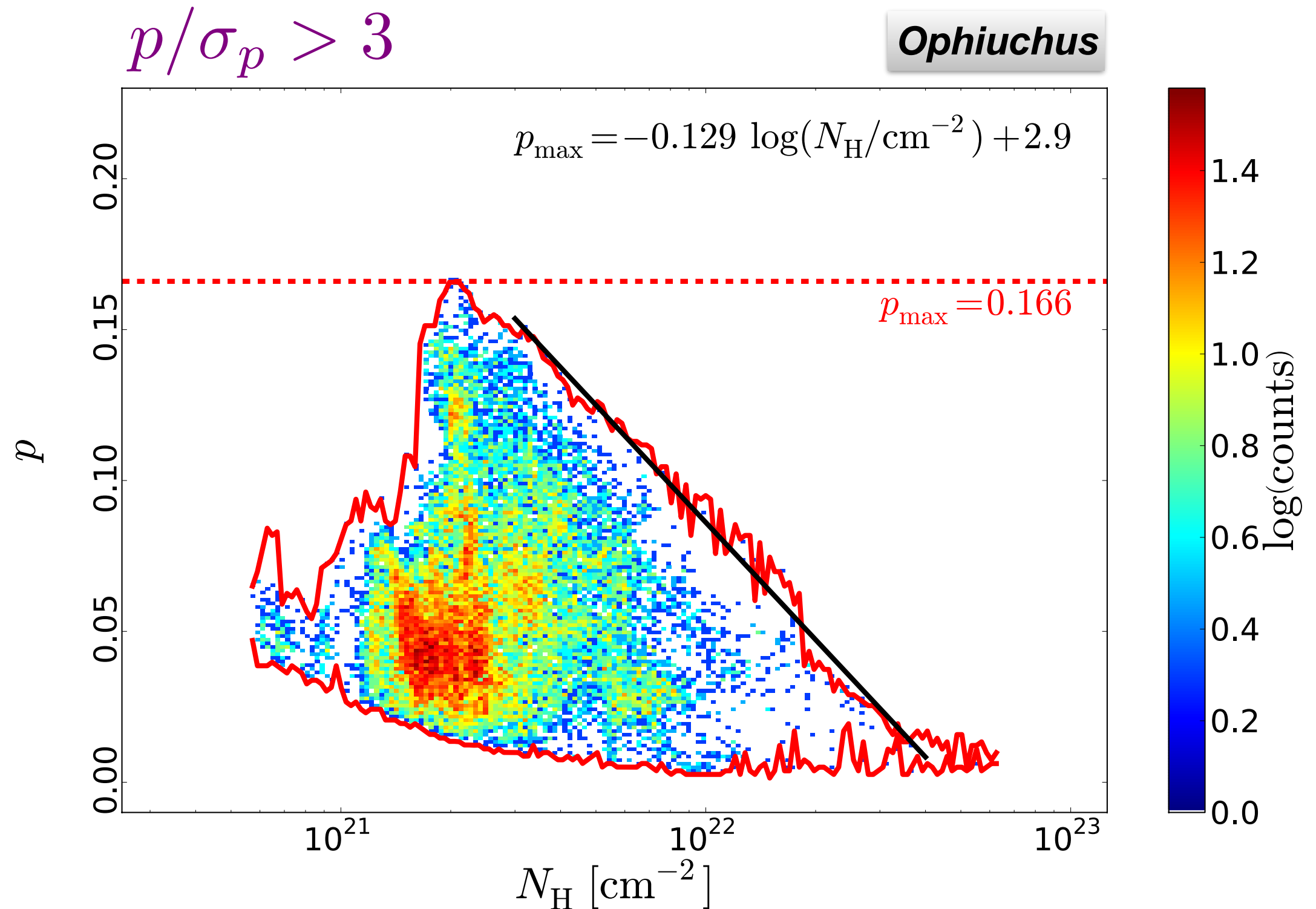
**15' resolution
16' lag**

$$S(\mathbf{r}, \delta) = \sqrt{\frac{1}{N} \sum_{i=1}^N [\psi(\mathbf{r} + \delta_i) - \psi(\mathbf{r})]^2}$$

Polarization angle dispersion function

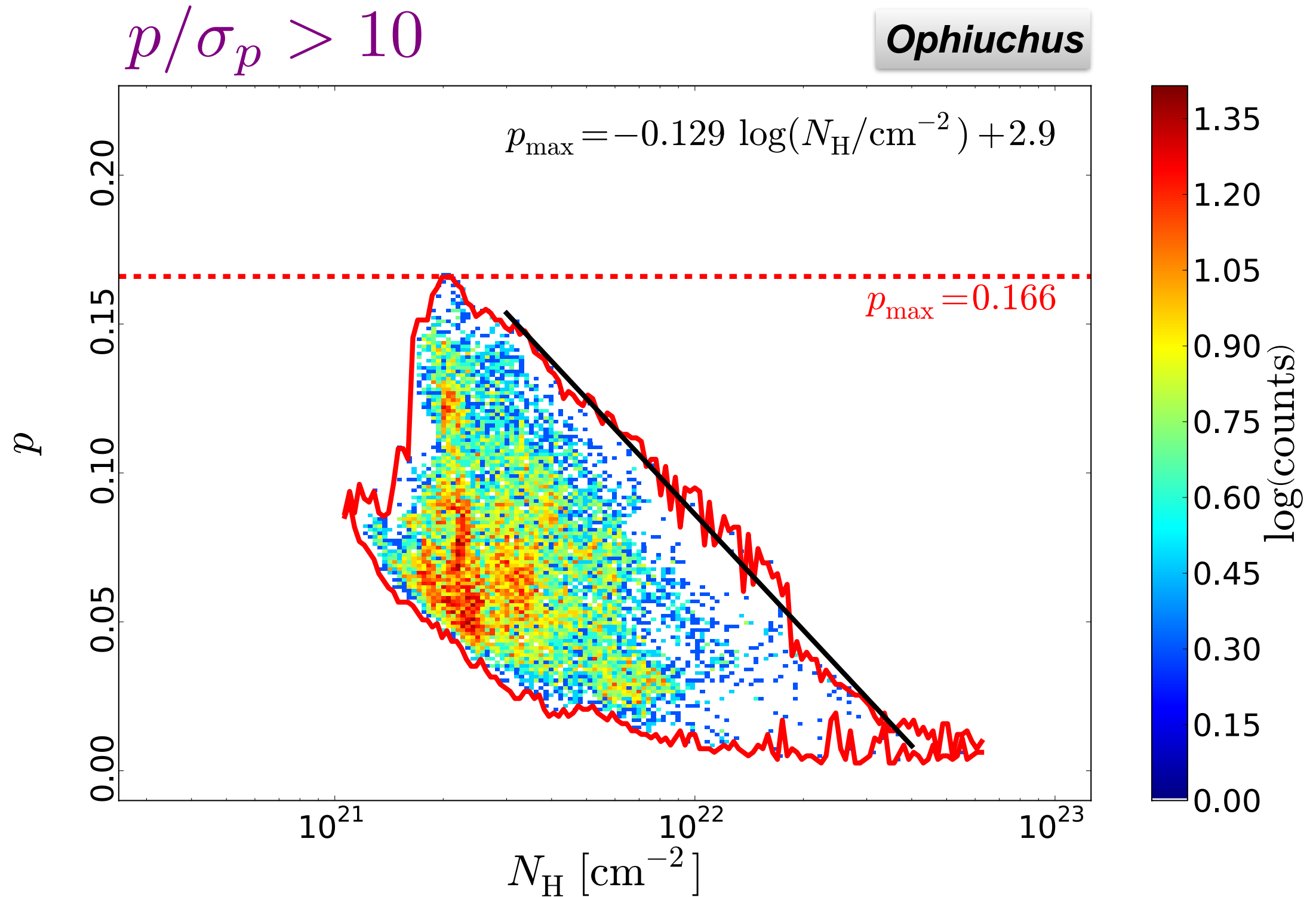


Correlations in Planck polarization maps



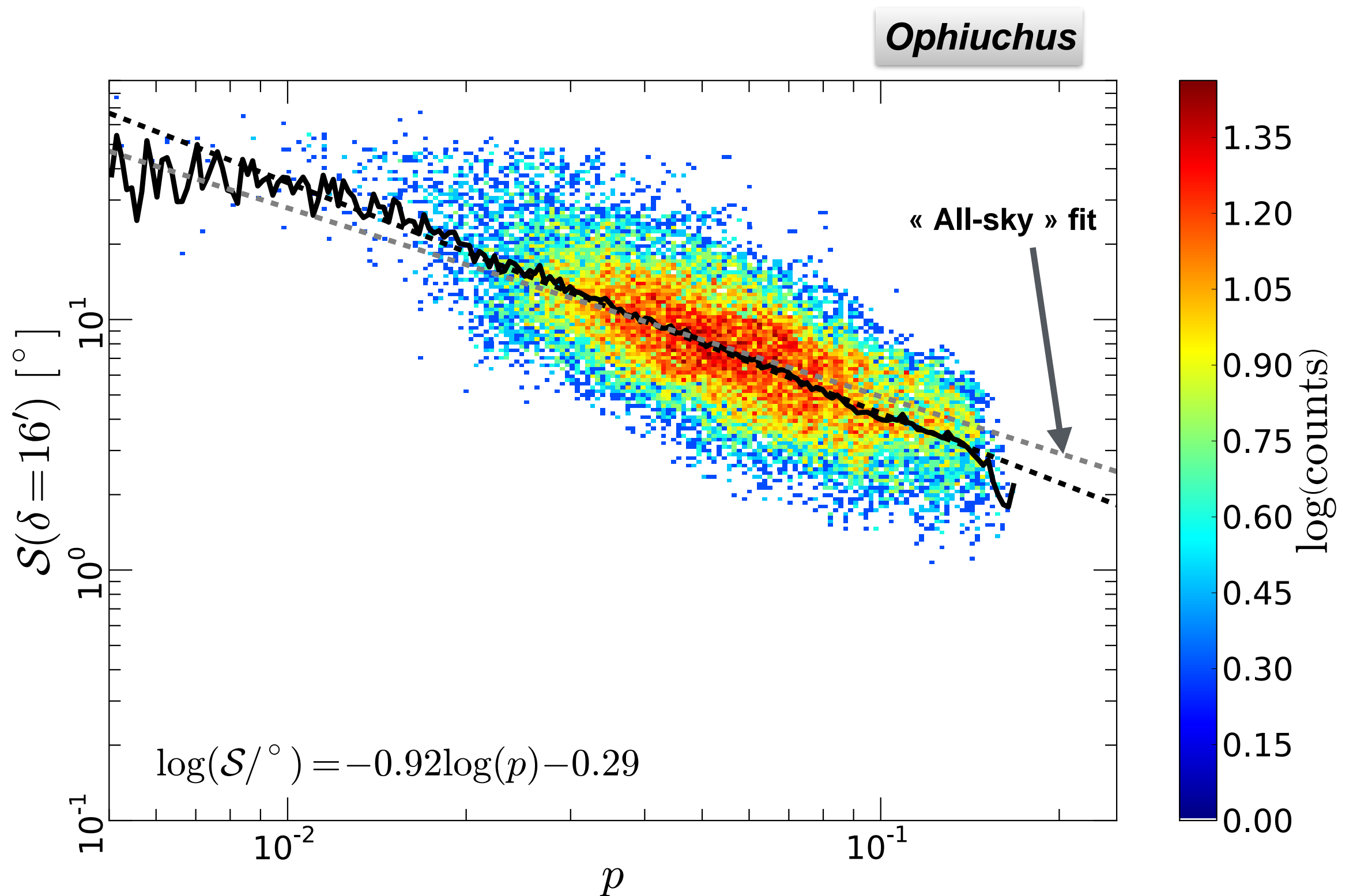
Anti-correlation robust with respect to polarization S/N

Correlations in Planck polarization maps



Anti-correlation robust with respect to polarization S/N

Correlations in Planck polarization maps



Building simulated polarized emission maps

- 18 pc subset of a 50 pc MHD simulation cube
- Converging flows of magnetized warm gas
- Mean magnetic field along the flows
- Rotation of the cube, placed at 100 pc
- Simulated Stokes maps smoothed at 15'

$$I = \int S_\nu e^{-\tau_\nu} \left[1 - p_0 \left(\cos^2 \gamma - \frac{2}{3} \right) \right] d\tau_\nu$$

$$Q = \int p_0 S_\nu e^{-\tau_\nu} \cos(2\phi) \cos^2 \gamma d\tau_\nu$$

$$U = \int p_0 S_\nu e^{-\tau_\nu} \sin(2\phi) \cos^2 \gamma d\tau_\nu$$

« Intrinsic dust polarization parameter »

$$p_0 = 0.2$$

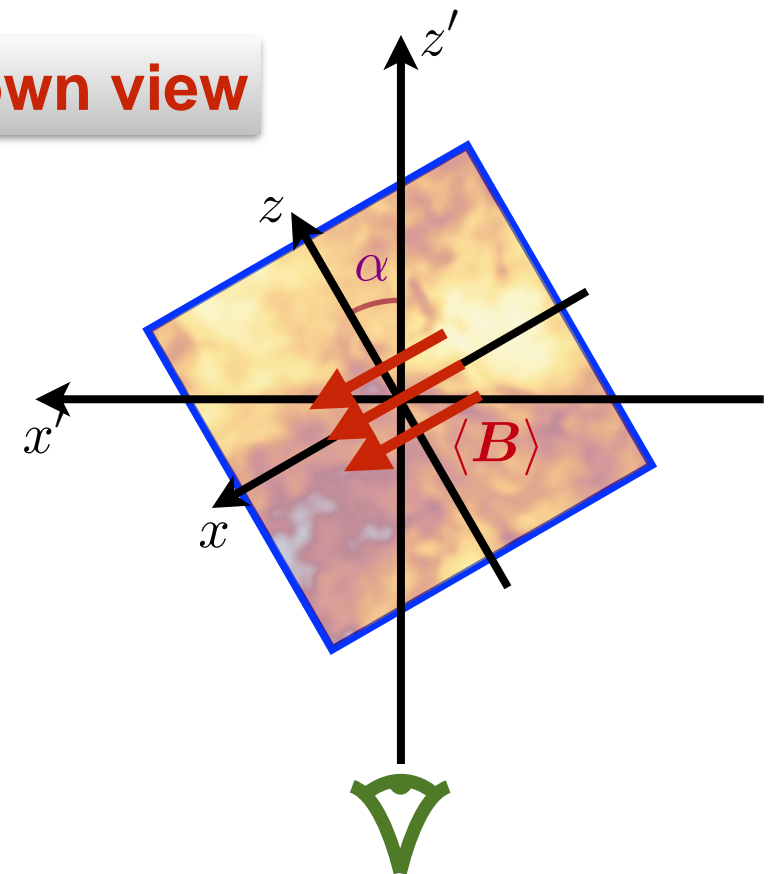
Opacity at 353 GHz (Planck Collaboration XXXI, 2014)

$$\tau_{353}/N_H = 1.2 \times 10^{-26} \text{ cm}^2$$

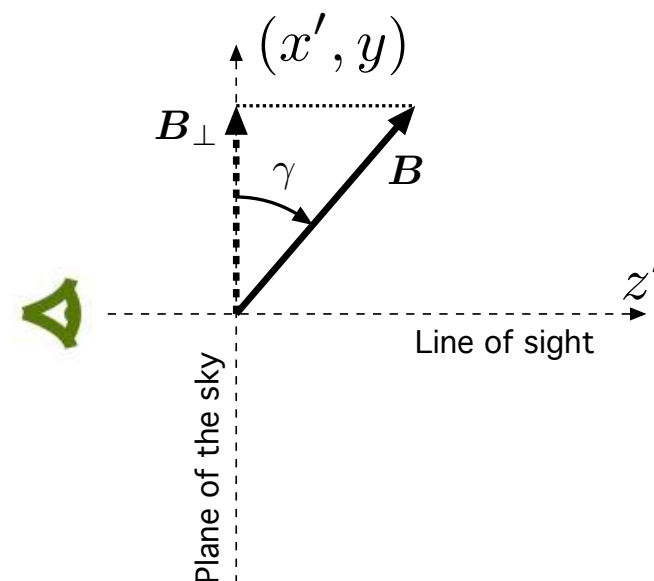
Dust temperature

$$T_d = 18 \text{ K}$$

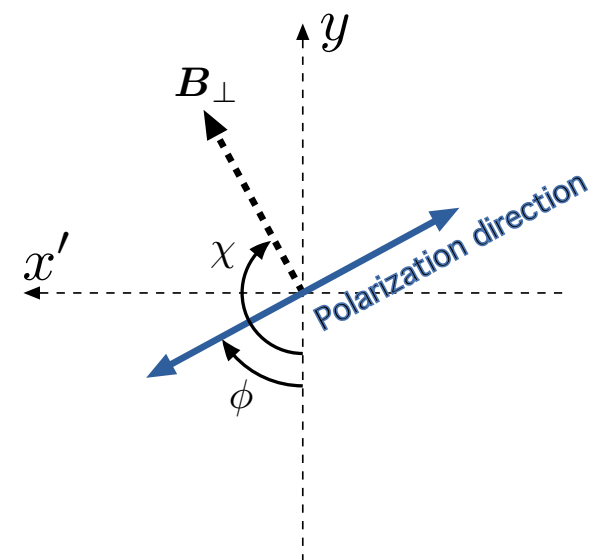
Top-down view



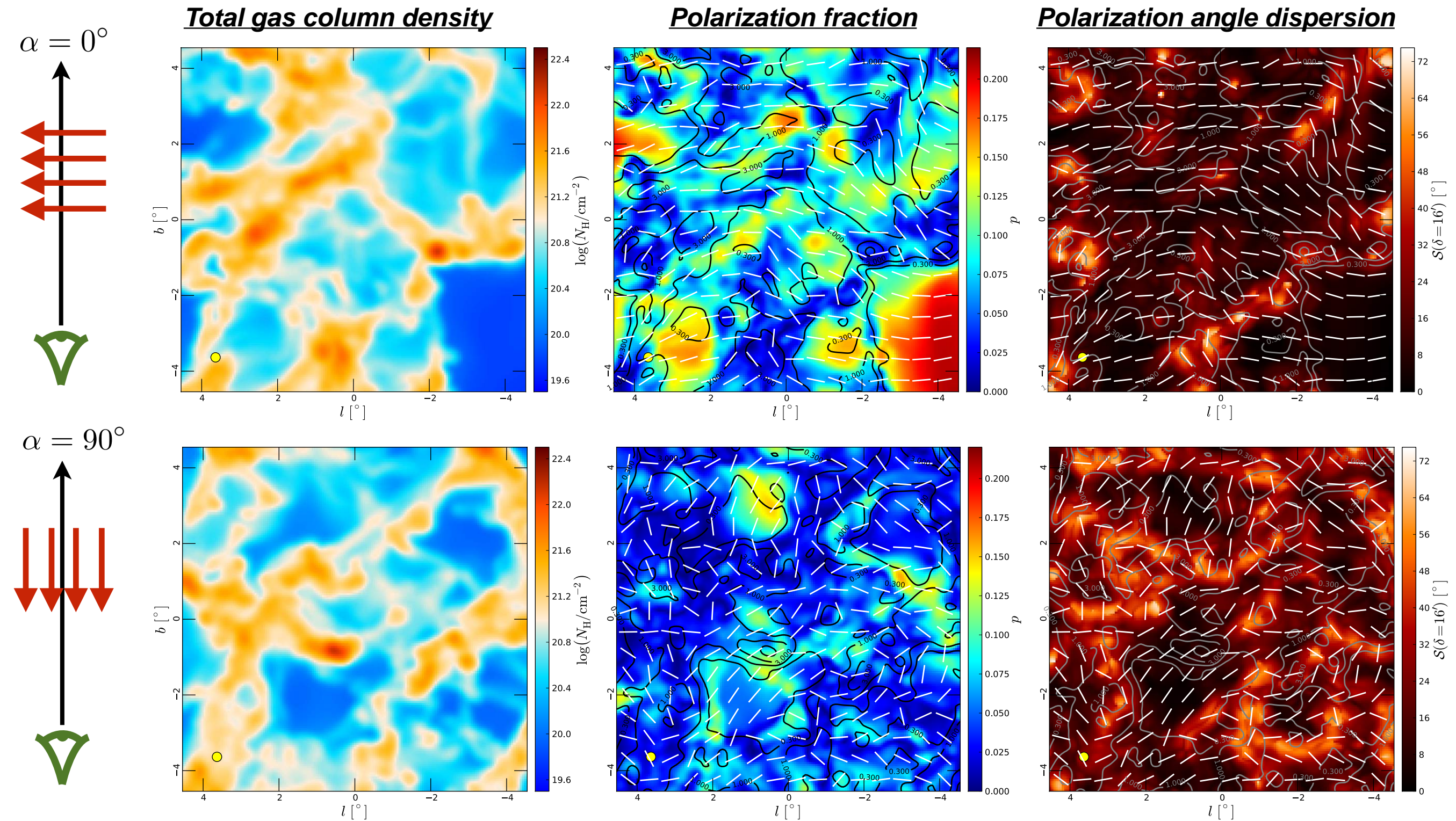
Side view



Line-of-sight view



Simulated polarized thermal dust emission maps

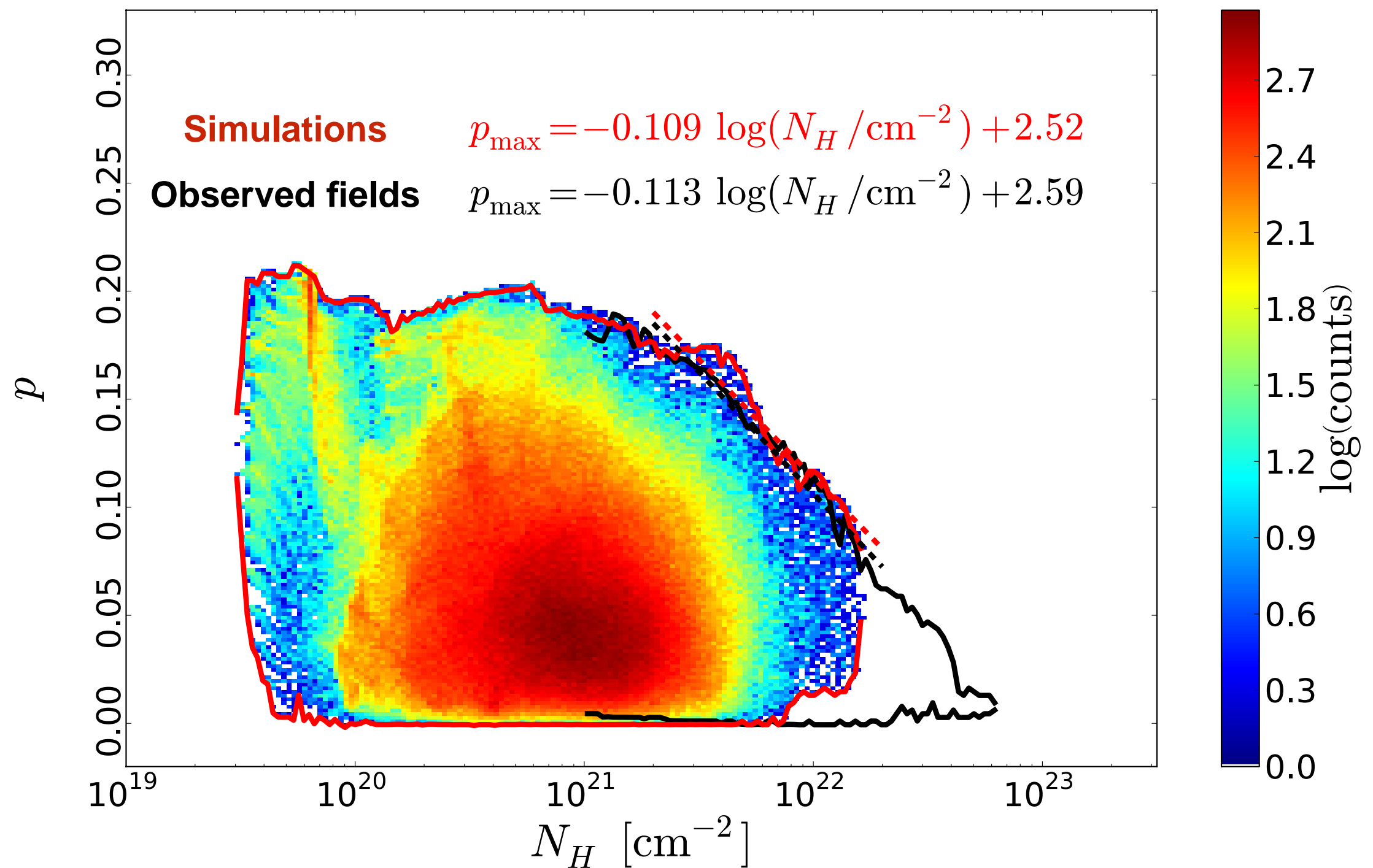


Anti-correlation p and N_{H}

Anti-correlation p and S

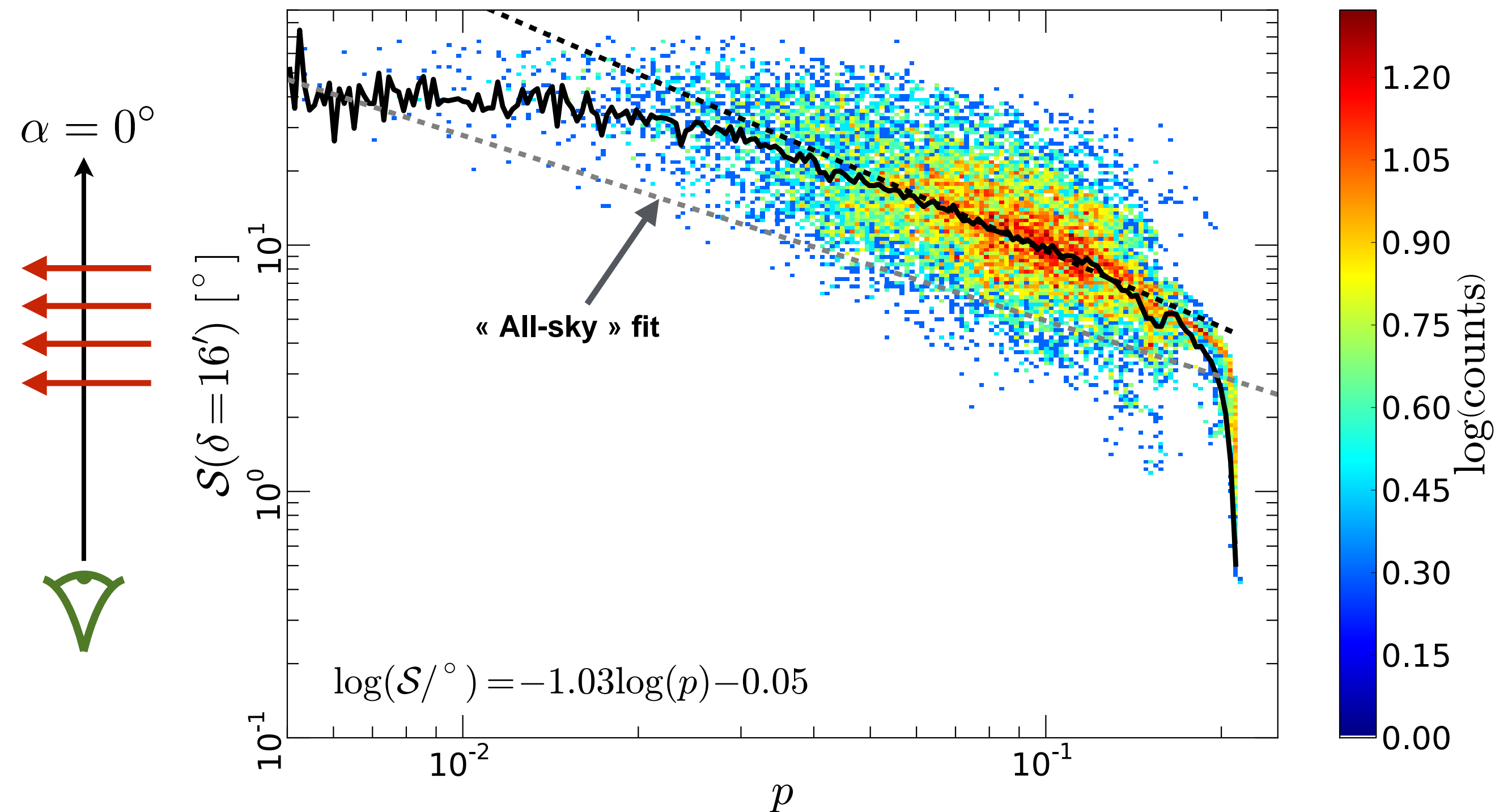
Lower polarization fractions when along the mean field

Simulations vs. Observations



Simulations reproduce very well the decrease of p_{\max} with N_H in the range 10^{21} to $2 \times 10^{22} \text{ cm}^{-2}$

Simulations vs. Observations



Global trend is reproduced, but simulations tend to have too high an angular dispersion

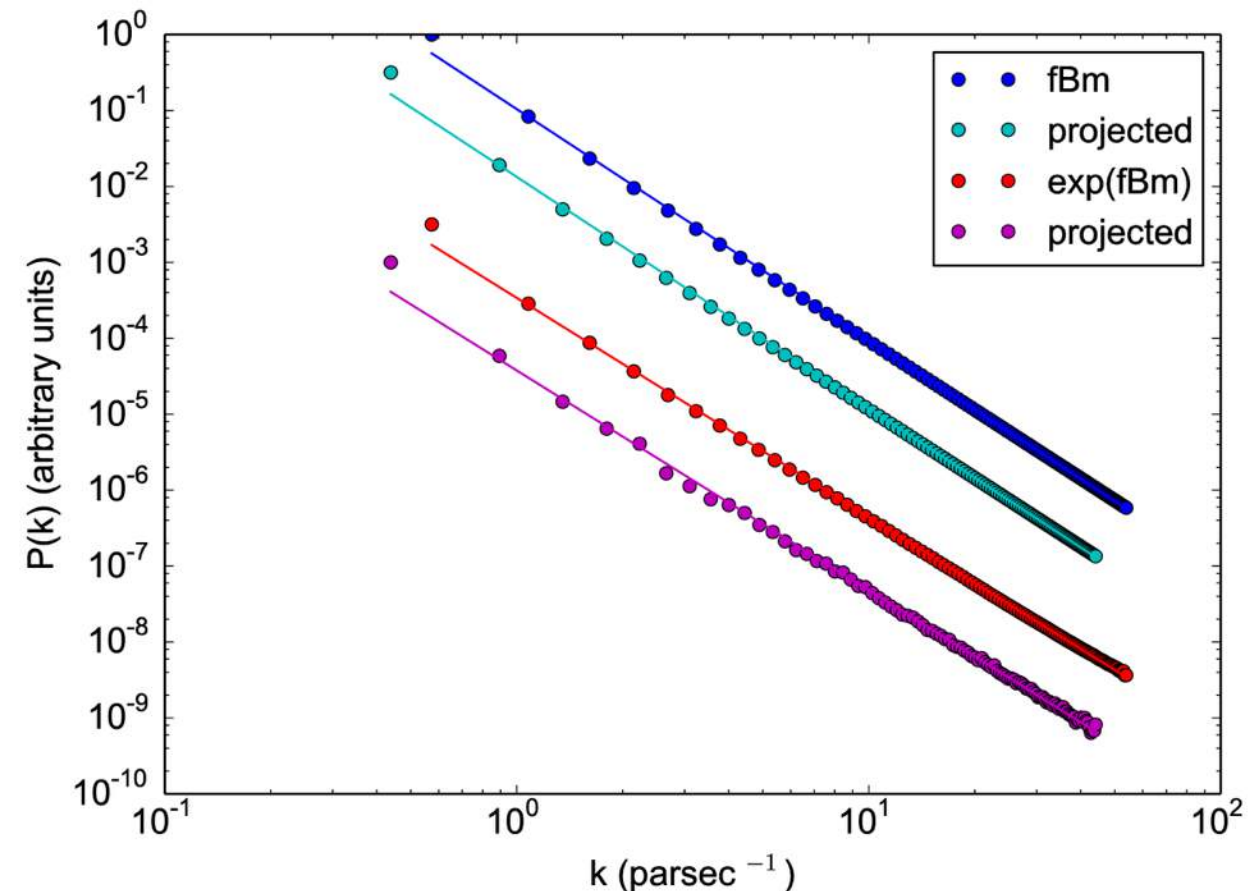
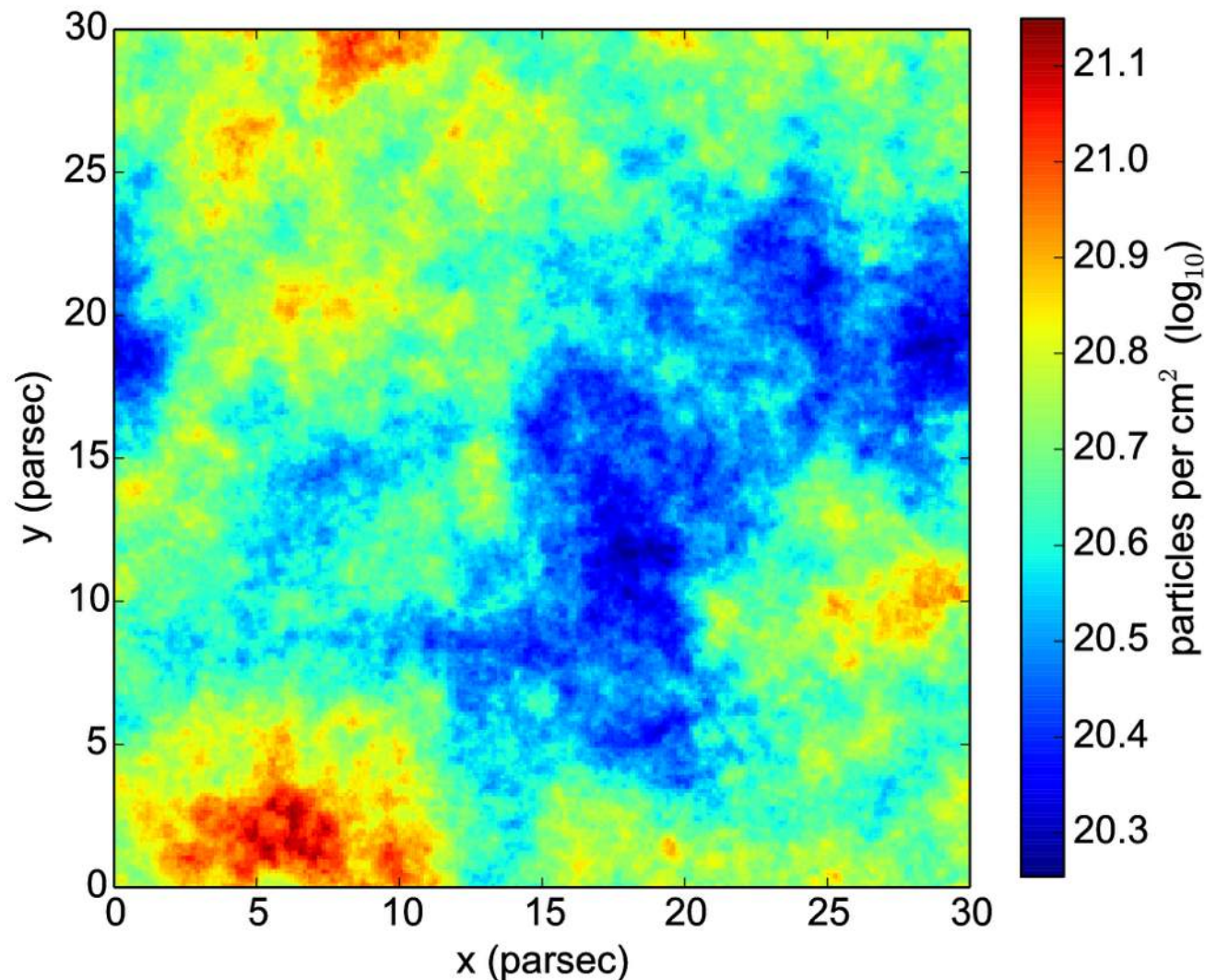
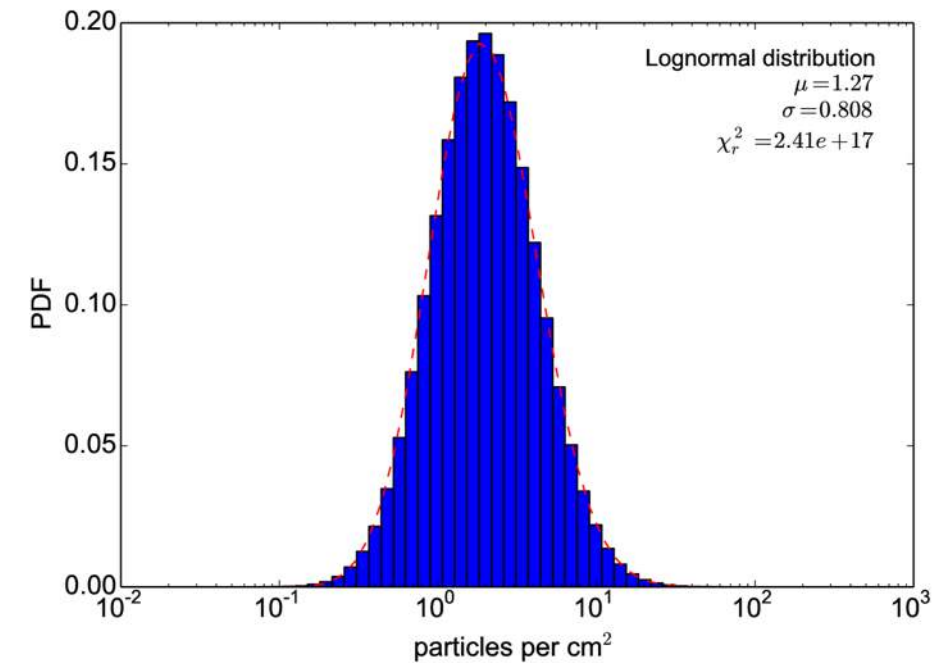
Building toy models of the turbulent ISM

We wish to constrain the statistical properties of the interstellar B field

Dust density : exponentiated fractional Brownian motion field (fBm)

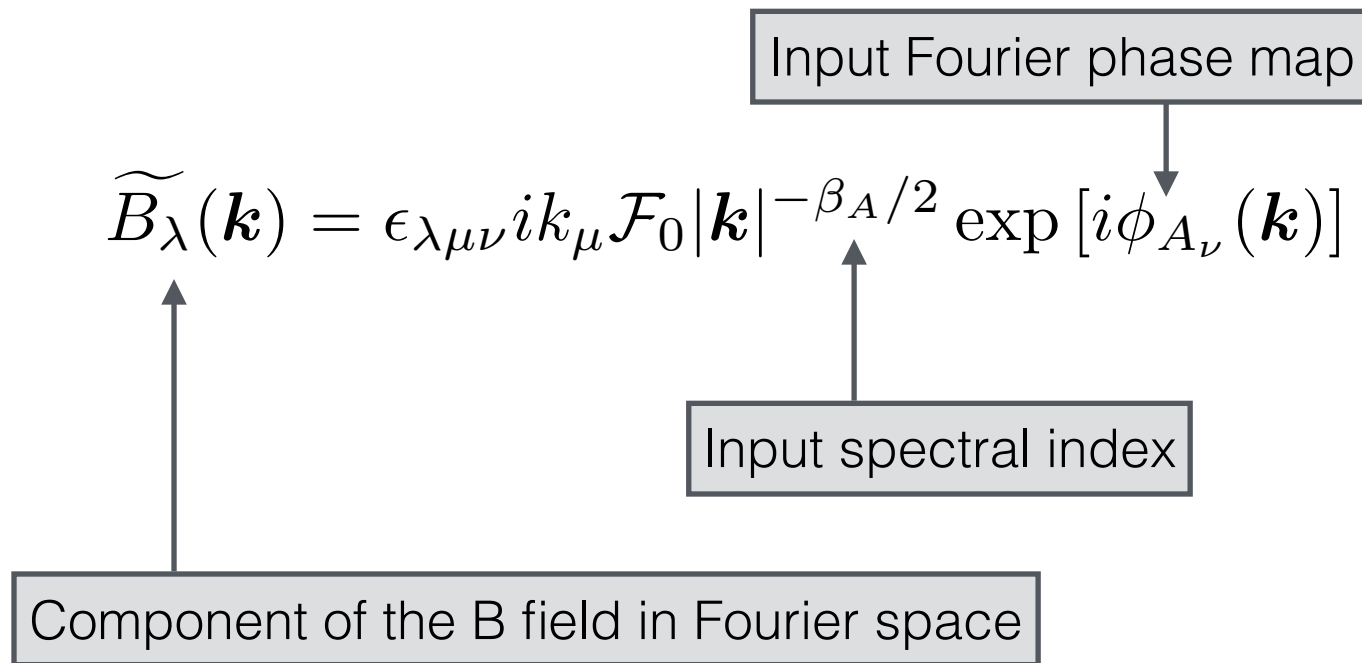
$$n_d = n_0 \exp \left(\frac{X}{X_r} \right)$$

- ▶ Power-law power spectrum with index β_n
- ▶ Log-normal distribution
- ▶ Possibly large fluctuations $\frac{\sigma_n}{n_d} > 0.3$

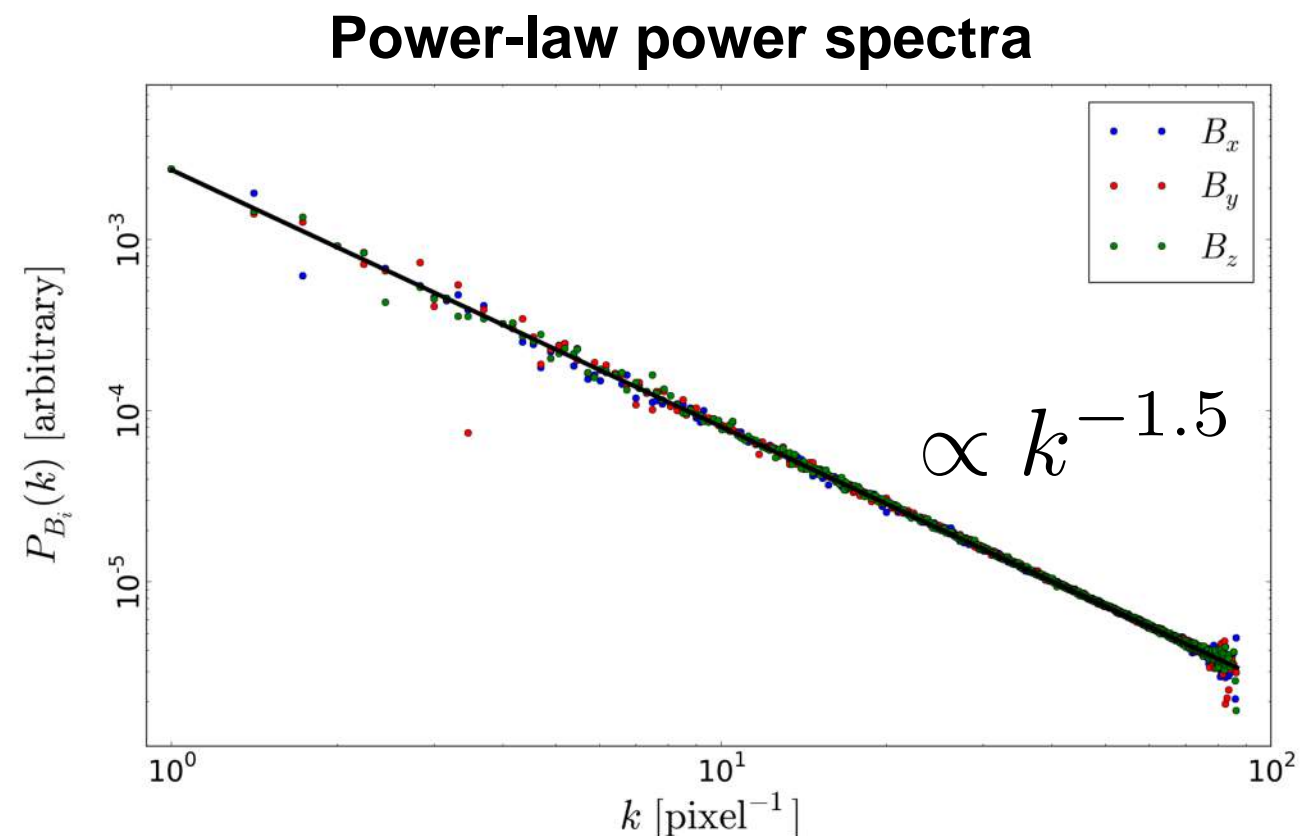
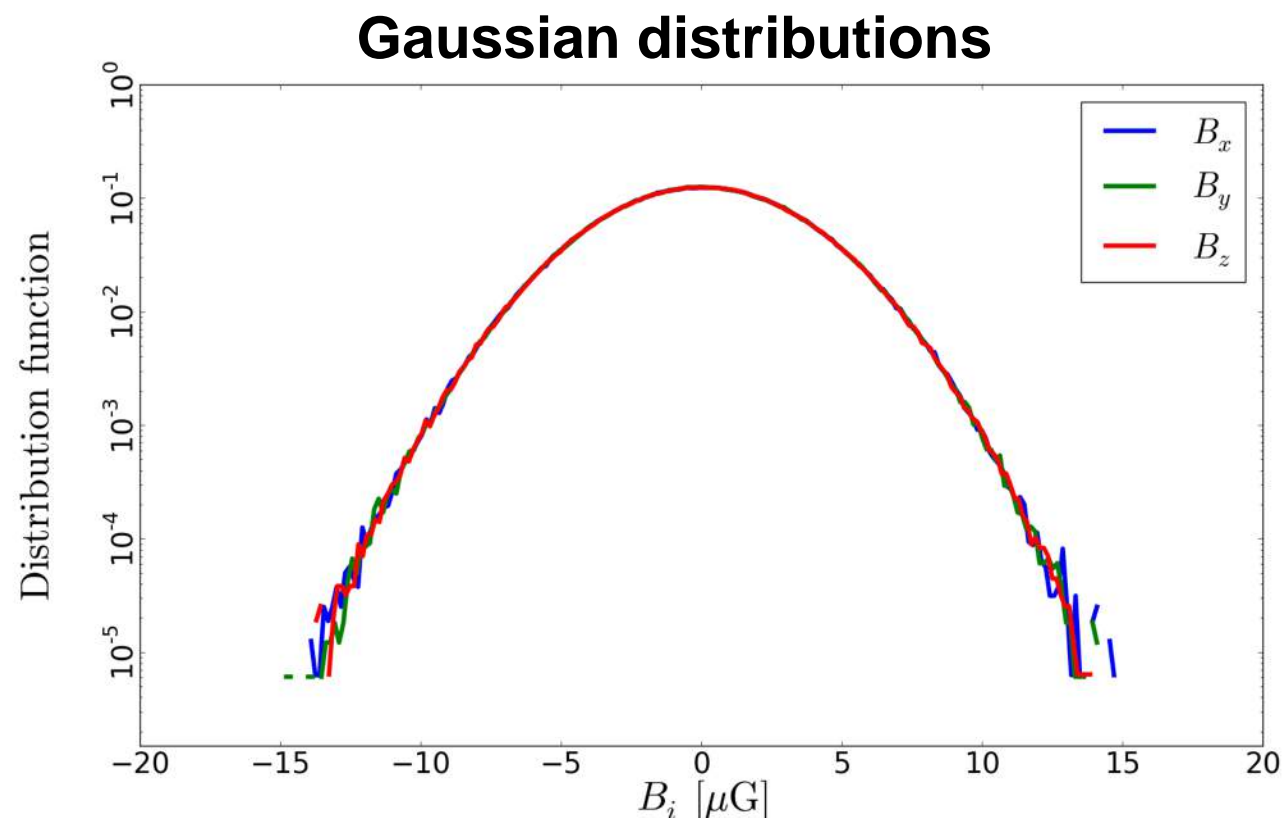


Building toy models of the turbulent ISM

Magnetic field from fBm vector potential components



- ▶ Power-law power spectrum with index $\beta_B = \beta_A - 2$
- ▶ Divergence-free by construction
- ▶ Gaussian distribution with zero mean
- ▶ Possibility to add a large-scale uniform field



Physical parameters and observables

Physical parameters of the input cubes

- Spectral indices
- Fluctuation ratios
- Depth

$$\beta_n, \beta_B, \frac{\sigma_n}{\langle n_d \rangle}, \frac{\sigma_B}{\langle B \rangle}, d$$



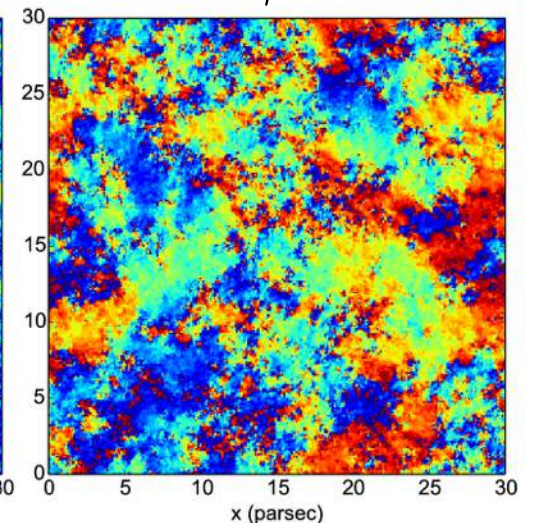
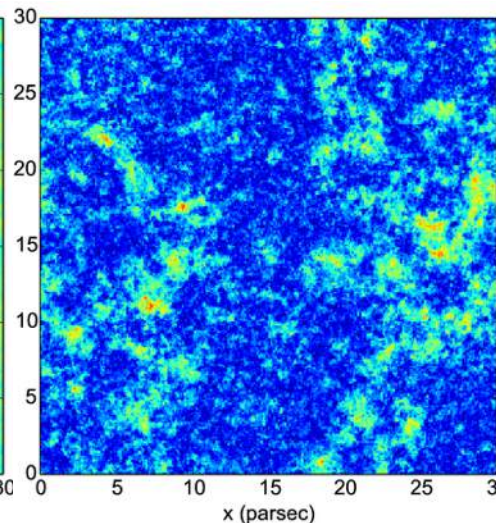
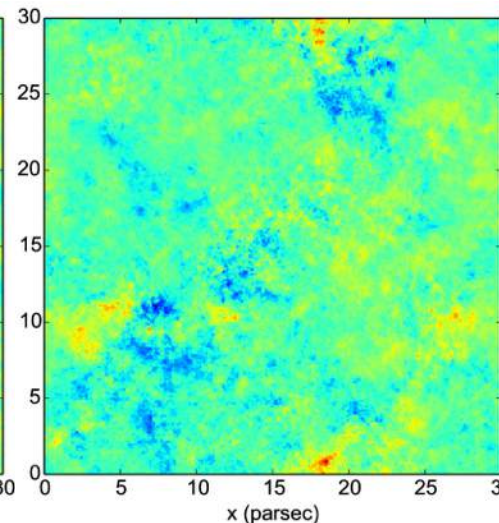
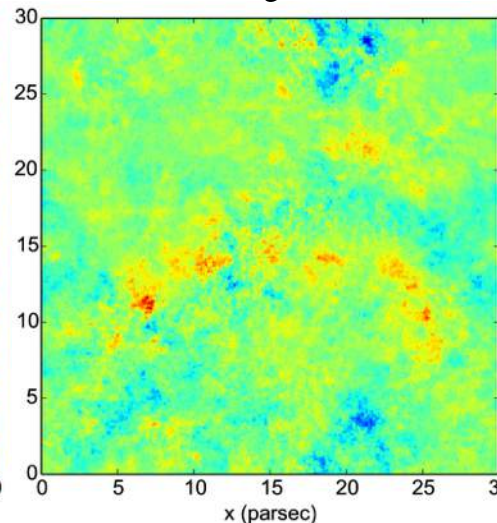
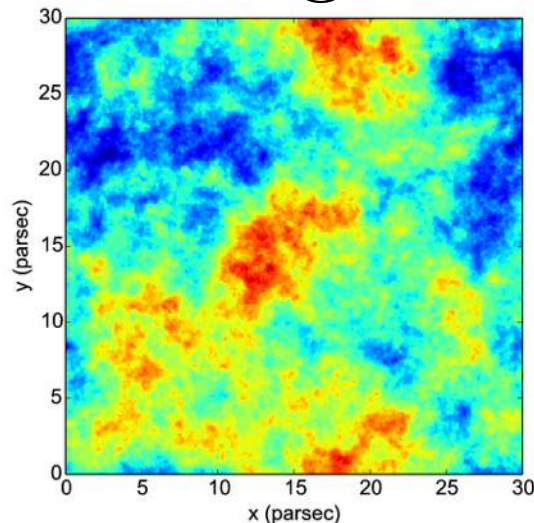
$\log I$

Q

U

p

ψ



...

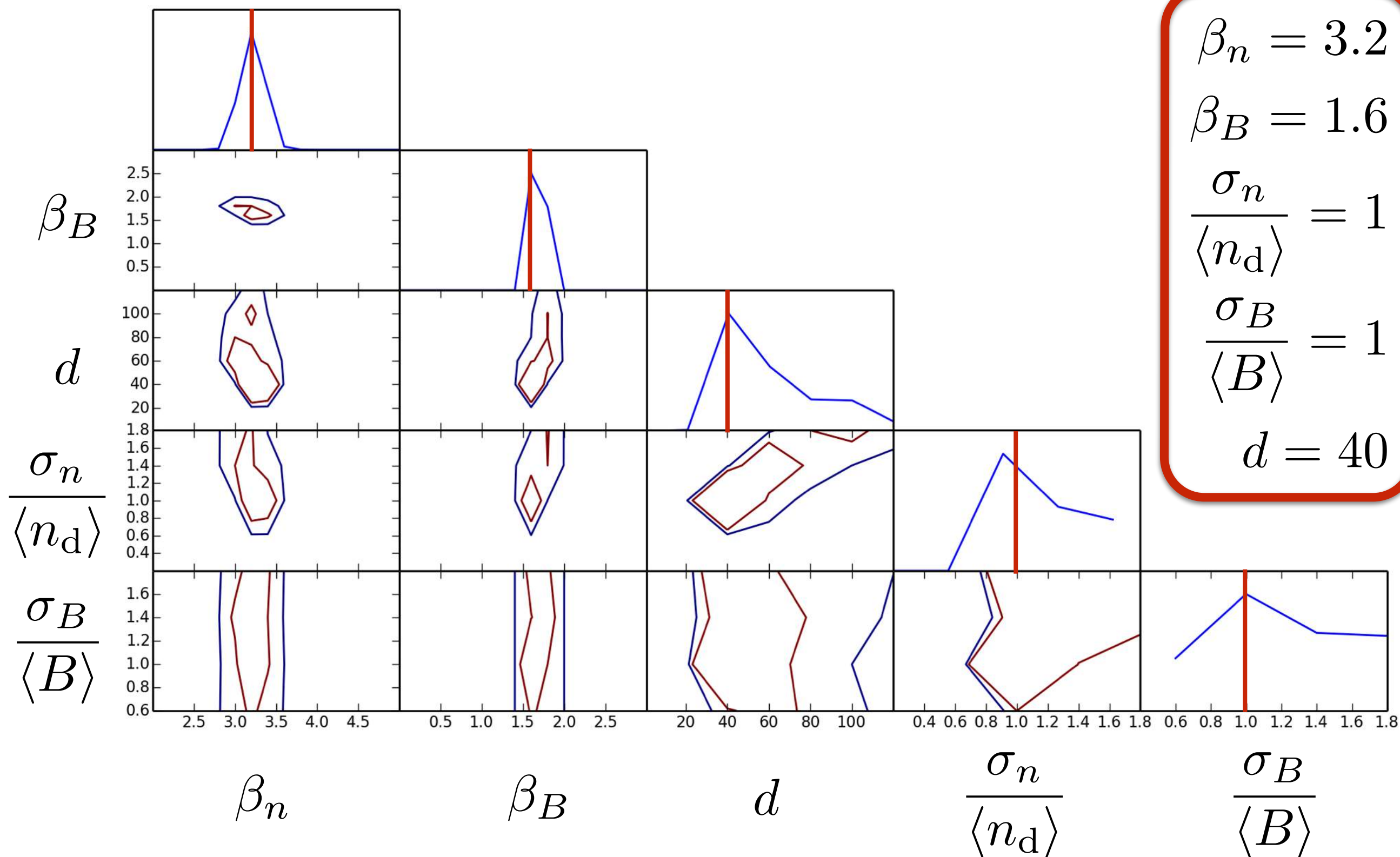
Observables derived from simulated Stokes maps

- Spectral indices of I, Q, U, P
- Fluctuation ratios of I, P
- Position of PDF maximum of $\mathcal{S}, p, |\nabla P|/P$
- Correlation \mathcal{S} vs. p
- Correlation \mathcal{S} vs. $|\nabla P|/P$



Validating the method

A least-square analysis validates the method on simulated maps



Conclusions

Decrease of p_{\max} with N_{H} well reproduced by simulations

Anticorrelation between polarization fraction and angle dispersion underlines the role of the magnetic field

Development of a promising method to recover statistical properties of the interstellar B field